Sri A.S.N.M GOVERNMENT COLLEGE (A), PALAKOL,W.G.DT.



DEPARTMENT OF MATHEMATICS

CERTIFICATE COURSE IN MATHEMATICS

(2021-2022)

"DISCRETE MATHEMATICS"

COURSE COORDINATOR

Sri.K.SIVA KRISHNA, Lecturer in Mathematics

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Minutes of the meeting

The Department of Mathematics staff held meeting on 01-07-2021 and passed resolution to organize certificate course that is on Discrete Mathematics under the guidelines of Sri G.Srinivasa Rao, In-Charge of Mathematics for 30 working days.

The certificate course in **Discrete Mathematics** was organized from 01-07-2022 to 05-08-2021 for the academic year 2021-2022 to the II B.Sc.M.P.C, MPCs & MCCs students under curriculum enrichment programme.

Signature of the staff Members :

Sri G.SRINIVASA RAO, In-Charge of Mathematics

B.K.V. RAMA LAKSHMI, Contract lecturer in Mathematics

K.SIVA KRISHNA, Contract Lecturer in Mathematics

D.R.R.SUDHAKAR, Guest Lecturer in Mathematics

Signature of the Principal

Report on Certificate course Discrete Mathematics

Introduction:

Department of Mathematics conducted a Certificate Course in Discrete Mathematics during the academic year 2020-2021 under curriculum enrichment Programme.

Discrete Mathematics is the part of Mathematics devoted to the study of discrete objects. Here discrete means consisting of distinct or unconnected elements. The kinds of problems solved using discrete mathematics include:

- How many ways are there to choose a valid password on a computer?
- ✤ What is the probability of winning a lottery?
- Is there link between two computers in a network?Etc.,

There are several important reasons for studying discrete mathematics. This course can develop mathematical maturity, that is ability to understand and create mathematical arguments. Students will not get very far in their studies in the Mathematical sciences without these skills

Discrete mathematics is the gateway to more advanced courses in all parts of the mathematical sciences. Discrete mathematics provides the mathematical foundations for many computer science courses including *data structures, algorithms, database theory , computer security and operating systems*

Math courses based on the material studied in discrete mathematics include *logic, set theory, number theory, linear algebra, abstract algebra, combinatorics, graph theory and probability theory.*

Course Objectives:

A discrete mathematics course has more than one purpose. Students should learn a particular set of mathematical facts and how to apply them. More importantly this course should teach students how to think logically and mathematically.

- > To introduce the concepts of Mathematical logic.
- > To introduce the concepts of Sets, Functions and Relations.
- To perform the operations associated with the Sets, Functions and Relations.
- Further develop the mathematical concepts and technique which should serve as a preparation for more advanced quantitative courses.

Learning Outcomes of Set Theory & Relations

Be able to draw and interpret Venn Diagrams of Set Relations and operations and use Venn Diagrams to solve problems. Recognize when set theory is applicable to real life situations, Solve real life problems and communicate real life problems and solutions to others.

- > Identify the differences between a Relation and a Function.
- Calculate missing values for a stated function (or) function pattern.
- Recognize multiple representations of a linear functions.

SRI A.S.N.M. GOVT COLLEGE(A), PALAKOL

2021-2022 CERTIFICATE COURSE TIME TABLE

DEPARTMENT OF MATHEMATICS

DATE	CLASS	TIMINGS
01 07 2022	II B.Sc	9:00AM-10:00AM
02.07.2022	II B.Sc	9:00AM-10:00AM
02-07-2022	II B Sc	9:00AM-10:00AM
04-07-2022	II B Sc	9:00AM-10:00AM
05-07-2022	II B Sc	9:00AM-10:00AM
06-07-2022	II B Sc	9:00AM-10:00AM
07-07-2022	II D.SC	9:00AM-10:00AM
08-07-2022	II D.SC	9:00AM-10:00AM
11-07-2022	II D.SC	9:00AM-10:00AM
12-07-2022	II B.SC	9:00AM-10:00AM
13-07-2022	II B.SC	0:00AM 10:00AM
14-07-2022	II B.Sc	9:00AM-10:00AM
15-07-2022	II B.Sc	9:00AM-10:00AM
16-07-2022	II B.Sc	9:00AM-10:00AM
18-07-2022	II B.Sc	9:00AM-10:00AM
19-07-2022	II B.Sc	9:00AM-10:00AM
20-07-2022	II B.Sc	9:00AM-10:00AM
21-07-2022	II B.Sc	9:00AM-10:00AM
22-07-2022	II B.Sc	9:00AM-10:00AM
23-07-2022	II B.Sc	9:00AM-10:00AM
25-07-2022	II B.Sc	9:00AM-10:00AM
26-07-2022	II B.Sc	9:00AM-10:00AM
27-07-2022	II B.Sc	9:00AM-10:00AM
28-07-2022	II B.Sc	9:00AM-10:00AM
29-07-2022	II B.Sc	9:00AM-10:00AM
30-07-2022	II B.Sc	9:00AM-10:00AM
01-08-2022	II B.Sc	9:00AM-10:00AM
02-08-2022	II B.Sc	9:00AM 10:00AM
03-08-2022	II B.Sc	9:00AM 10:00AM
02-08-2022	II B Sc	9:00AM-10:00AM
05-08-2022	II B Sc	9:00AM-10:00AM
	DATE 01-07-2022 02-07-2022 04-07-2022 05-07-2022 06-07-2022 07-07-2022 08-07-2022 11-07-2022 11-07-2022 13-07-2022 14-07-2022 15-07-2022 18-07-2022 20-07-2022 21-07-2022 22-07-2022 25-07-2022 25-07-2022 25-07-2022 27-07-2022 28-07-2022 28-07-2022 29-07-2022 20-07-2022 20-07-2022 01-08-2022 01-08-2022 03-08-2022 04-08-2022 04-08-2022 05-08-2022	DATE CLASS 01-07-2022 II B.Sc 02-07-2022 II B.Sc 04-07-2022 II B.Sc 05-07-2022 II B.Sc 06-07-2022 II B.Sc 07-07-2022 II B.Sc 07-07-2022 II B.Sc 07-07-2022 II B.Sc 08-07-2022 II B.Sc 11-07-2022 II B.Sc 11-07-2022 II B.Sc 11-07-2022 II B.Sc 11-07-2022 II B.Sc 13-07-2022 II B.Sc 14-07-2022 II B.Sc 15-07-2022 II B.Sc 16-07-2022 II B.Sc 18-07-2022 II B.Sc 19-07-2022 II B.Sc 20-07-2022 II B.Sc 21-07-2022 II B.Sc 22-07-2022 II B.Sc 23-07-2022 II B.Sc 25-07-2022 II B.Sc 25-07-2022 II B.Sc 28-07-2022 II B.Sc 28-07-2022 II B.Sc 29-07-2022

Mathematics - Certificate Course

PRINCIPAL SriA.S.N.M. GOVT. COLLEGE (A) PALAKOL-534 260, W.G.DIST

		List of stu	ude	nts	enro	olle	d in	Cer	tifi	cate	coi	ırse	on				
	Discrete Mathematics: II B.Sc.(MPCs)& II B.Sc.(MCCs)																
	(01-07-2022 to 05-08-2022) 30 days from 9am to 10 am																
ЛО	gd).	Name of the	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
S.N	Reg N(student	01/ 07	02/ 07	04/ 07	05/ 07	06/ 07	07/ 07	08/ 07	11/ 07	12/ 07	13/ 07	14/ 07	15/ 07	16/ 07	18/ 07	19/ 07
1	2021006	Ch.Lakshmi Priyanka	р	р	р	р	р	А	Α	Р	А	Р	Р	Р	А	Р	Р
2	2021012	Seelam Hema	Р	А	Р	Α	А	Р	Ρ	А	Р	Р	А	А	Р	Ρ	Р
3	2021018	Y Baby Sowmya	р	р	р	р	р	р	р	р	А	р	р	р	р	р	р
4	2022019	A Amrutha Durga	р	р	р	А	р	р	р	А	р	р	р	р	А	р	р
5	2022021	A Kanaka Durga	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
6	2022022	A Neelima	р	р	А	р	р	р	А	р	р	р	р	Α	р	А	р
7	2022024	B Dhana Raju	р	Α	р	Α	р	р	А	р	р	р	А	р	р	р	р
8	2022025	Ch P V Rakesh	р	А	р	р	А	р	р	А	р	р	р	р	А	р	р
9	2022026	Ch Stanley Peter	р	р	р	Α	А	р	р	р	р	Α	р	р	Α	р	р
10	2022027	G Puspha Lalitha	р	А	р	р	А	А	р	р	р	А	р	р	р	А	р
11	2022029	K S Venkata Sandeep	р	р	р	р	р	р	А	р	р	р	р	А	р	р	р
12	2022030	L Suhasini	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
13	2022033	M Anitha	р	А	р	р	р	р	р	А	р	р	р	А	р	р	р
14	2022035	P Harshitha	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
15	2022036	Vanamadi Vasu	р	А	р	А	р	р	р	р	р	р	А	р	р	р	р
16	2022037	Villuri Hasini	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
17	2025074	Bandi Ramyasri	р	р	А	р	р	р	А	р	р	р	А	р	р	р	р
18	2025078	G Lalitha Devi	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
19	2025079	G Raghuvindra Varma	р	А	р	р	А	р	р	р	А	р	р	р	р	А	р
20	2025082	G Anusha	р	р	р	р	р	р	р	А	р	р	р	р	р	р	р
21	2025083	I Kalyani	р	р	А	р	р	р	р	р	р	р	р	А	р	р	р
22	2025085	J N Siva Prasad	р	А	р	р	р	р	р	Α	р	р	р	р	А	р	р
23	2025088	K Tejeswari	р	р	р	р	р	р	А	р	р	р	р	р	р	р	р
24	2025090	K Raghavendra Rao	р	р	р	р	р	р	р	р	р	р	р	р	А	р	р
25	2025092	K Nageswari	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
26	2025094	P Hemanth Prakash	р	р	р	Α	р	р	Α	р	р	р	р	Α	р	р	А
27	2025095	S Leela Bhavani	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
28	2025098	Undurthi Sailu	р	р	р	р	р	А	р	р	р	р	А	р	р	р	р
29	2025099	Varada Navya	p	р	р	р	р	р	р	р	A	р	р	р	р	р	р
30	2025101	Y Varshi Satya Sri	p	p	p	p	A	p	p	p	р	p	p	p	A	p	p
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.No	egd Vo.	Name of the	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30
\mathbf{S}	84	student	20/ 07	21/ 07/	22/ 07	23/ 07	25/ 07	26/ 07	27/ 07	28/ 07	29/ 07	30/ 07	01/ 08	02/ 08	03/ 08	04/ 08	05/ 08
1	2021006	Ch.Lakshmi Priyanka	р	р	р	р	р	А	А	Р	А	Р	Р	Р	А	Р	Р
2	2021012	Seelam Hema	Ρ	А	Ρ	А	А	Ρ	Ρ	А	Ρ	Ρ	А	А	Ρ	Ρ	Р
3	2021018	Y Baby Sowmya	р	р	р	р	р	р	р	р	А	р	р	р	р	р	р
4	2022019	A Amrutha Durga	р	р	р	А	р	р	р	А	р	р	р	р	А	р	р
5	2022021	A Kanaka Durga	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
6	2022022	A Neelima	р	р	А	р	р	р	А	р	р	р	р	А	р	А	р
7	2022024	B Dhana Raju	р	А	р	А	р	р	А	р	р	р	А	р	р	р	р
8	2022025	Ch P V Rakesh	р	А	р	р	А	р	р	А	р	р	р	р	А	р	р
9	2022026	Ch Stanley Peter	р	р	р	А	А	р	р	р	р	А	р	р	А	р	р
10	2022027	G Puspha Lalitha	р	А	р	р	А	А	р	р	р	А	р	р	р	А	р
11	2022029	K S Venkata Sandeep	р	р	р	р	р	р	А	р	р	р	р	А	р	р	р
12	2022030	L Suhasini	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
13	2022033	M Anitha	р	А	р	р	р	р	р	А	р	р	р	А	р	р	р
14	2022035	P Harshitha	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
15	2022036	Vanamadi Vasu	р	А	р	А	р	р	р	р	р	р	А	р	р	р	р
16	2022037	Villuri Hasini	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
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18	2025078	G Lalitha Devi	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
19	2025079	G Raghuvindra Varma	р	А	р	р	А	р	р	р	А	р	р	р	р	А	р
20	2025082	G Anusha	р	р	р	р	р	р	р	А	р	р	р	р	р	р	р
21	2025083	I Kalyani	р	р	А	р	р	р	р	р	р	р	р	А	р	р	р
22	2025085	J N Siva Prasad	р	А	р	р	р	р	р	А	р	р	р	р	А	р	р
23	2025088	K Tejeswari	р	р	р	р	р	р	р	р	р	р	р	р	р	р	р
24	2025090	K Raghavendra Rao	р	р	р	р	р	р	А	р	р	р	р	р	р	А	р
25	2025092	K Nageswari	р	р	р	А	р	р	р	р	р	р	р	р	А	р	р
26	2025094	P Hemanth Prakash	р	р	А	р	р	А	р	р	р	р	А	р	р	р	р
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29	2025099	Varada Navya	р	р	р	Α	р	р	р	р	р	р	р	р	р	р	р
30	2025101	Y Varshi Satya Sri	р	р	р	р	р	р	А	р	р	р	р	А	р	р	р

Course Syallabus

SYLLABUS :

Unit-1

SET THEORY

1. Set Operations

2. Functions

Unit-2

RELATIONS

1. Functions as Relations.

2. Properties of Relations.

3. Combining Relations.

TEXT BOOK:

DISCRETE MATHEMATICS & ITS APPLICATIONS WITH COMBINATORICS AND GRAPH THEORY

BY

KENNETH H ROSEN

Question Paper

lame of th	ne Student:_			Clas	s:	Date:		
nswer all	the questio	ons. Eacl	n question car	ries 2 Marks		25	X 2	= 50
1. Wh	no is the fou	inder of	Set theory?			[а]
a)	George Car	ntor	b) John Venn	c) Rene	Descartes	d) Russel		
2. Wh	nich of the f	ollowing	; is an infinite	Set ?		[d]
a)	$A = \{ x: x i \}$	s odd an	d x<10 }	c) C ={ :	x: x <i>€</i> N , 7 <x<< td=""><td>:9 }</td><td></td><td></td></x<<>	:9 }		
b)	$B=\{x:x\epsilon N$	N,70>x-	<50 }	d) D={	x: x ϵ N , x>10	}		
3. WI	hich of the f	following	g two sets are o	equal?		[с]
a) /	$A = \{1, 2\}$ and	nd $B = \{1, \dots, n\}$]}	c) A = {	1, 2, 3} and B	= {2, 1, 3}		
b) /	A = $\{1, 2\}$ ar	nd $B = \{x\}$	1, 2, 3}	d) A = {1, 2, 4}	and $B = \{1, 2\}$, 3}		
4. Tw	o sets are ca	alled dis	joint if	is the e	mpty set	[c]
a)	Difference		b) Union	c) Intersection	d) Compleme	ent		
5. The	e set contain	ning all †	the collection of	of subsets is kno	wn as	[b]
a) S	Subset		b) Power set	c) Union set	d) No	ne of the m	enti	oned
6. Po	ower set of e	empty se	t has exactly _	sub	set.	[а]
a) (One	b) Two	c) Zero	d) Three				
7. Wh	nat is the car	rdinality	of the set of o	dd positive inte	gers less thar	n 10? [b]
a) 1	10	b) 5	c) 3	d) 20				
8. Wh	nat is the Ca	rdinalit	y of the Power	set of the set {o	$, 1, 2 \}?$	[а]
a) 8	8	b) 6	c) 7	d) 9				
9. If S	Set $AXB = B$	SXA then	which of the	following sets m	at satisfy?	[а]
a)	$A = \{1, 2\}, B =$	={2,1}		c) A={1,2,3}, B=	={2,3,4}			
b)	A={1,2,3},	B={1,2,3	3,4}	d) None.				
10. If s	et A has 4 e	elements	and B has 3 e	lements then set	t n(A X B) is?) [b]
a) 1	14	b) 12	c) 24	d) 7				
11. Wh	nich of the f	ollowing	statement is v	vrong?		[b]
a)	$\mathbf{A} \cap \mathbf{A} = \mathbf{A}$	b) (A U	B)' = A' U B'	c) $A U A = A$	d) A – (B \cap C	$\mathbf{C}) = (\mathbf{A} - \mathbf{B})$	U (A	A –C)
12. A f	unction is s	aid to be		if and o	$nly ext{ if } f(a) = f(a)$	b) implies		
tha	at a = b for a	all a and	b in the doma	in of f.		[b]
a) (One-to-mar	ny	b) One-to-one	c) Many	/-to-many	d) Many-	to-o	ne
13. The	e function f	(x)=x+1	from the set o	f integers to itse	lf is onto.	[a]
Is i	t True or Fa	alse?	a) True	b) False				

14. Let f and g be the function from the set of integers to itself, defined by	f(x)=2	x+1	and
g(x) = 3x+4. Then the composition of f and g (fOg)	[b]
a) 6x+8 b) 6x+9 c) 6x+6 d) 6x+7			
15. If f is a function defined from R to R given by $f(x)=3x-5$ then $f-1(x)=$. [a]
a) $(x+5)/3$ b) $1/(3x-5)$ c) $(x-5)/3$ d) N	Jone		
16. A floor function map a real number to	[b]
a) smallest previous integer c) smallest following integer			
b) greatest previous integer d) none of the mentioned			
17. A Ceil function map a real number to	[а]
a) smallest previous integer c) smallest following integer			
b) greatest previous integer d) none of the mentioned			
18. What is the value of Floor(8.4) + Ceil(9.9)?	[а]
a) 18 b) 19 c) 20 d) 17			
19. A relation means on a set S.	[b]
a) dual relation b) binary relation c) reflexive relation d) s	ymme	etric	relation
20 . A relation R on set A is called if xRy implies yRx.			
a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmet	ric		
a) Irreflexiveb) Reflexivec) Anti-Symmetricd) Symmetric21. If R is reflexive, Symmetric and Transitive then the relation is said to be	ric pe [с]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to back a) binary relation c) equivalence relation 	ric De [С]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to b a) binary relation b) compatability relation c) equivalence relation d) partial ordered relation 	ric pe [n.	с]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to b a) binary relation b) compatability relation c) equivalence relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric 	ric be [n.	с]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to be a) binary relation b) compatability relation c) equivalence relation b) compatability relation c) a set S with a relation R on it which is reflexive, anti-symmetric and transitive. 	ric be [n. , [c d]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to be a) binary relation b) compatability relation c) equivalence relation b) compatability relation c) a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 	ric pe [n. , [r orden	c d red s]] set
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to be a) binary relation b) compatability relation c) equivalence relation b) compatability relation c) equivalence relation c) equivalence relation c) a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set 	ric pe [n. , [rorden	c d red s]] set
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric a) Symmetric and Transitive then the relation is said to b a) binary relation c) equivalence relation b) compatability relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set {1, 2, 3, 4}? 	ric pe [n. , rorden [c d red s b]] set]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 1. If R is reflexive, Symmetric and Transitive then the relation is said to be a) binary relation c) equivalence relation b) compatability relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set {1, 2, 3, 4}? a) {(0,0), (1,1), (2,2), (2,3)} c) {,(1,1), (1,2), (2,1), (2,3)} 	ric pe [n. , (orden [, (3,4)	c d red s b }] J set]
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric d) Symmetric and Transitive then the relation is said to be a) binary relation b) compatability relation c) equivalence relation b) compatability relation c) equivalence relation c) equivalence relation d) partial ordered relation a) equivalent set b) ordered set c) implicit set d) Partially c) the following relations is the reflexive relation over the set {1, 2, 3, 4}? a) {(0,0), (1,1), (2,2), (2,3)} b) {(1,1), (1,2), (2,2), (3,3), (4,3), (4,4)} d) {(0,1), (1,1), (2,3), (2,2)} 	ric pe [n. , (, (3,4) , (3,4)	c d red s b } , (3,] set]
 a) Irreliexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to be a) binary relation b) compatability relation c) equivalence relation b) compatability relation c) equivalence relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set {1, 2, 3, 4}? a) {(0,0), (1,1), (2,2), (2,3)} b) {(1,1), (1,2), (2,2), (3,3), (4,3), (4,4)} d) {(0,1), (1,1), (2,3), (2,2)} 24. If R = {(2,1), (3,1), (5,1), (5,4)} then R⁻¹ = 	ric pe [n. , (3,4) , (3,4) [c d red s b } , (3, c] set] 1)
 a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric d) Symmetric d) Symmetric d) Symmetric d) Symmetric d) Symmetric d) binary relation a) binary relation c) equivalence relation b) compatability relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set {1, 2, 3, 4}? a) {(0,0), (1,1), (2,2), (2,3)} b) {(1,1), (1,2), (2,2), (3,3), (4,3), (4,4)} d) {(0,1), (1,1), (2,3), (2,2)} 24. If R = {(2,1), (3,1), (5,1), (5,4)} then R⁻¹ = a) {(2,1), (3,1), (5,1), (4,5)} c) {(1,2), (1,3), (1,5), (4,5)} 	ric pe [n. , (3,4) , (3,4) [c d red s } , (3, c] set] 1)
a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to b a) binary relation c) equivalence relation b) compatability relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set $\{1, 2, 3, 4\}$? a) $\{(0,0), (1,1), (2,2), (2,3)\}$ c) $\{,(1,1), (1,2), (2,1), (2,3)\}$ b) $\{(1,1), (1,2), (2,2), (3,3), (4,3), (4,4)\}$ d) $\{(0,1), (1,1), (2,3), (2,2)\}$ 24. If R = $\{(2,1), (3,1), (5,1), (5,4)\}$ then R ⁻¹ = a) $\{(2,1), (3,1), (5,1), (4,5)\}$ c) $\{(1,2), (1,3), (1,5), (4,5)\}$ b) $\{(2,1), (3,1), (5,1), (5,4)\}$ d) $\{(2,1), (3,1), (5,1), (4,5)\}$	ric pe [n. , , , , (3,4) , (3,4) , (3,4) [, , , , , , , , , , , , , , , , , ,	c d red s b } , (3, c] set] 1)
a) Irreflexive b) Reflexive c) Anti-Symmetric d) Symmetric 21. If R is reflexive, Symmetric and Transitive then the relation is said to b a) binary relation c) equivalence relation b) compatabilty relation d) partial ordered relation 22. A is a set S with a relation R on it which is reflexive, anti-symmetric and transitive. a) equivalent set b) ordered set c) implicit set d) Partially 23. Which of the following relations is the reflexive relation over the set $\{1, 2, 3, 4\}$? a) $\{(0,0), (1,1), (2,2), (2,3)\}$ c) $\{,(1,1), (1,2), (2,1), (2,3)\}$ b) $\{(1,1), (1,2), (2,2), (3,3), (4,3), (4,4)\}$ d) $\{(0,1), (1,1), (2,3), (2,2)\}$ 24. If R = $\{(2,1), (3,1), (5,1), (5,4)\}$ then R ⁻¹ = a) $\{(2,1), (3,1), (5,1), (5,4)\}$ then R ⁻¹ = b) $\{(2,1), (3,1), (5,1), (5,4)\}$ d) $\{(2,1), (3,1), (5,1), (4,5)\}$ c) $\{(1,2), (1,3), (5,1), (4,5)\}$ d) $\{(2,1), (3,1), (5,1), (4,5)\}$ 25. How many transitive relations are there on a set with n elements if	ric pe [n. , , , (3,4) , (3,4) , (3,4) , (3,4) [, , , , , , , , , , , , , , , , , ,	c d red s } , (3, c c] set] 1)]

Marks obtained in Discrete Mathematics Exam Date: 18-08-2022

S.No	Regd. No	Name of the Student	Marks Obtained
1	2021006	Ch.Lakshmi Priyanka	42
2	2021012	Seelam Hema	44
3	2021018	Y Baby Sowmya	42
4	2022019	A Amrutha Durga	38
5	2022021	A Kanaka Durga	34
6	2022022	A Neelima	40
7	2022024	B Dhana Raju	38
8	2022025	Ch P V Rakesh	28
9	2022026	Ch Stanley Peter	34
10	2022027	G Puspha Lalitha	40
11	2022029	K S Venkata Sandeep	42
12	2022030	L Suhasini	40
13	2022033	M Anitha	42
14	2022035	P Harshitha	36
15	2022036	Vanamadi Vasu	38
16	2022037	Villuri Hasini	40
17	2025074	Bandi Ramyasri	38
18	2025078	G Lalitha Devi	42
19	2025079	G Raghuvindra Varma	44
20	2025082	G Anusha	42
21	2025083	I Kalyani	40
22	2025085	J N Siva Prasad	32
23	2025088	K Tejeswari	42
24	2025090	K Raghavendra Rao	40
25	2025092	K Nageswari	38
26	2025094	P Hemanth Prakash	32
27	2025095	S Leela Bhavani	40
28	2025098	Undurthi Sailu	42
29	2025099	Varada Navya	42
30	2025101	Y Varshi Satya Sri	36

Other Details:

Duration of Course	:	30 Hours
Classes starting Date	:	01-07-2022
Classes ended Date	:	05-08-2022
Exam conducted on	:	18-08-2022
Classes Timings	:	9:00 AM – 10:00 AM
Resource Persons	:	1. Sri K. Siva Krishna
		2. Smt. B.K.V Rama Lakshmi

Conclusion :

This certificate course develops the mathematical concepts and technique which should serve as a preparation for more advanced quantitative courses.

References :

DISCRETE MATHEMATICS & ITS APPLICATIONS WITH COMBINATORICS AND GRAPH THEORY



KENNETH H ROSEN

BY

3. Sri. D.R.R Sudhakar





PROGRAM INAUGARATION PHOTOS







VELADICTORY PROGRAM PHOTOS

MODEL CERTIFICATE

Sri A.S.N.M. Govt. College PALAKOL, West Godavari Dist.	(A),
DEPARTMENT OF MATHEMATICS	
This is to Certify that Mr./Ms. <u>B. DHANA RAJU</u>	
of <u>1. B.&. M. P.Cs</u> Programme has successfully co	ompleted the Certificate
Course in DISCRETE MATHEMATICS	
during the year 202 1 - 2 2	
K. siva lou'she Course Coordinator	Principal
Roz	s-C
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